

25 + 31.5

2: Search the feasible solution of a problem (min, max)
+1

2: Solving a optimization problem without use any methode heuristic
+2 or exact optimization how?

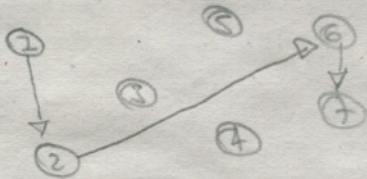
3: found a nearest factible solution without this be always
+4 the factible solution

4: when is a lot data or if not be a optimization problem linear
+3 size is large + hard problem

5: is solving at problem with any heuristics and after comparative all
+2 result and select the best factible solution

6:

+6



	1	2	3	4	5	6	7
1	0	2	3	4	6	7	8
2		0	8	2	6	4	2
3			0	6	3	2	4
4				0	8	7	2
5					0	2	8
6						0	2
7							0

2: select a random city (1)

2: select the nearest city after the first city (1-2-1)

3: Do again but with (2)

(1-2-6-2)

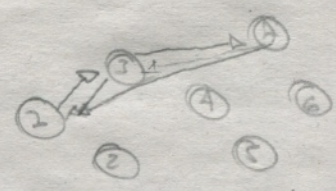
4: add any nearest city of next to for to completed

5: finally sumy all city add

$$(1-2-6-2) = 2+4 = 6$$

2: is same as before but select the position with this $C_{ik} + C_{jk} - i_j$

	1	2	3	4	5	6	7
1	0	2	2	5	6	7	6
2	0	0	5	7	8	3	5
3	0	0	4	5	2	2	2
4	0	0	7	5	6		
5			0	6	5		
6				0	8		
7					0		



$$C_{17} + C_{73} - C_{13} = 6 + 3 - 2 = 7$$

2-3-3-1

- 2 select a random vertex
- 2: after select the nearest vertex of first select (2-3-2)
- 3: Do this for select the position of vertex (city) $C_{ik} + C_{jk} - C_{ij}$
- 4 Do this for any city add that exist for complete
- 5 and finally sum all city for the cost (Optimal solution)

8

1A

a) (1,2) (3,8) (3,12) (5,9) (10,11)

$$17 + 21 + 28 + 30 + 29 = 125$$

is feasible because all city exist and the sum is larger as possible and no repeat node

- 2
- 30
- 29
- 28
- 21
- 17

125 + 5

b) (7,10) (11,12) (4,8) (2,3) (1,5) (6,9)

$$26 + 18 + 15 + 21 + 14 + 22 = 116$$

no because edges (1,5) and (5,6) share the node 5

- 2
- 26
- 18
- 15
- 21
- 14
- 22
- 116

C1 +4.5

$$M^2 = (1,5) (2,6) (3,7) (4,8) (7,11) (9,10) \\ 14 + 14 + 16 + 15 + 14 + 18 = \text{worst} \leftarrow \text{Inf.}$$

$$M^4 = (1,2) (5,9) (6,10) (3,7) (4,8) (11,12) \\ 14 + 30 + 19 + 16 + 15 + 18 = \text{best}$$

$$M^5 = (1,5) (2,6) (9,10) (3,4) (7,11) (8,12) \\ 14 + 14 + 18 + 19 + 14 + 26 =$$

M^4 is best because is nearest of perfect matching and M^5 is worst because is farthest of perfect matching

3	3	3
14	14	14
14	30	14
14	19	14
26	16	18
18	15	19
14	18	14
18	115	26
91		105

d) start

+10

too vague

$M^4(i,j)$

take (i,j) random

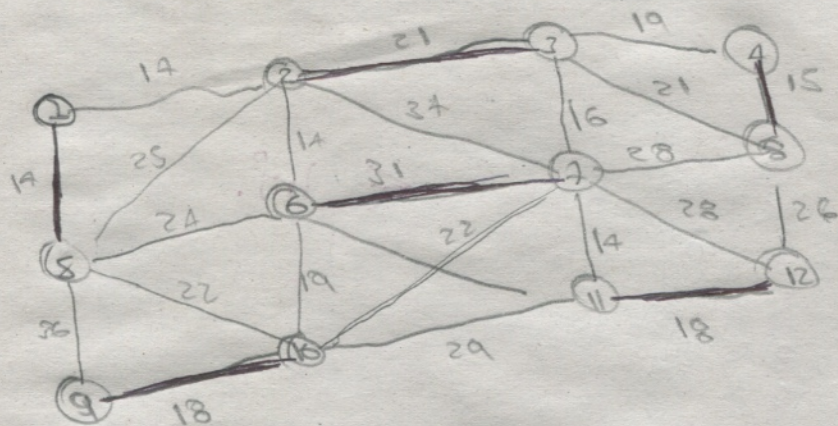
Do i, j if the node is no.

Share

Do the large sum while no share node

Sum all $w = w_i = \text{result}$

e)



select random node and connect

Do the before while the edges no share node

sum $w(M)$

result

+8

show step by step

$$4 w_{1,5} + w_{2,3} + w_{6,7} + w_{4,8} + w_{9,10} + w_{11,12} = 117$$